

Mathematics
Practice Test Paper 6
(Chapter 8: Introduction to Trigonometry)
Class X | 2026-27

Time Allowed: 45 Minutes

Maximum Marks: 25

General Instructions

1. All 13 questions are compulsory. The paper has four sections: A, B, C and D.
2. Section A - 5 marks; Section B - 8 marks; Section C - 9 marks; Section D - 3 marks.
3. Choose one correct option in Section A. Show the necessary steps and reasoning in Sections B, C and D.
4. Unless stated otherwise, angles are acute. Use of calculators is not allowed.

SECTION A

(5 questions $\times$ 1 mark = 5 marks)

1. $\sec 0^\circ$ equals:

- (A) 0 (B) 1
(C) not defined (D) 2

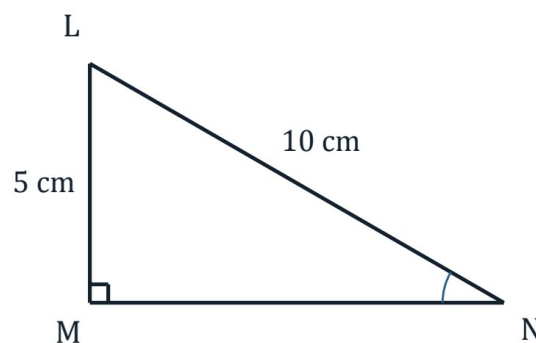
2. $\sin^2 30^\circ + \cos^2 60^\circ$ equals:

- (A) 1 (B) $\frac{3}{4}$
(C) $\frac{1}{2}$ (D) 2

3. Which is a possible value of $\cos A$ for an acute angle A?

- (A) -0.2 (B) 1.2
(C) 0 (D) 0.6

4. In the right triangle LMN shown, $\angle N$ equals:



- (A) 30° (B) 45°
(C) 60° (D) 90°

5. If $\tan \theta = \frac{7}{24}$, then $\cot \theta$ equals:

(A) $\frac{7}{25}$

(B) $\frac{25}{24}$

(C) $\frac{24}{7}$

(D) $\frac{25}{7}$

SECTION B

(4 questions $\times$ 2 marks = 8 marks)

6. If $\sin \theta = \frac{7}{25}$, find $\cos \theta$ and $\sec \theta$.

7. Evaluate $\frac{5\cos^2 60^\circ + 4\sec^2 30^\circ - \tan^2 45^\circ}{\sin^2 30^\circ + \cos^2 30^\circ}$.

8. Prove that $\sec^4 \theta - \sec^2 \theta = \tan^4 \theta + \tan^2 \theta$ (where defined).

9. If $5\tan \theta = 4$, evaluate $\frac{5\sin \theta - 3\cos \theta}{5\sin \theta + 2\cos \theta}$.

SECTION C

(3 questions $\times$ 3 marks = 9 marks)

10. Given $\cot A = k$, where $k > 0$, express $\sin A$, $\sec A$ and $\tan A$ in terms of k .

11. Prove that $\sin^4 A - \cos^4 A = 2\sin^2 A - 1$ (where defined).

12. If $3\sin^2 A + 2\cos^2 A = \frac{11}{4}$, find A , $\tan A$ and $\sec A$.

SECTION D

(Application Based Question - 3 marks)

13. A triangular panel ABC is right-angled at B, with $AB = 60$ cm and $BC = 11$ cm. A designer studies angle A.

(i) Find the hypotenuse.

(ii) Find $\sin A$.

(iii) Find $\cos A$.